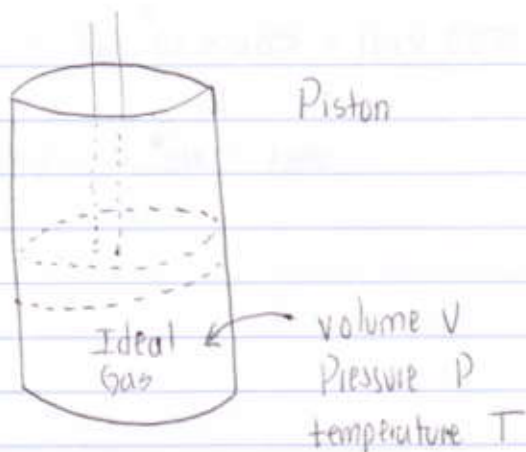


CHAPTER 19

* Last time:

$$PV = nRT = \frac{2}{3} E_{\text{int}}$$

total energy
of all molecules
in the gas

~ FOCUS 4 CH. 19:

Ignore everything except
the kinetic energy from
random motion of
molecules.

also
called
thermal
energy

$$\left\{ \begin{array}{l} E_{\text{int}} = \frac{3}{2} PV = \frac{3}{2} nRT \end{array} \right.$$

Internal
Energy

~ Compare:

1 m³ of air at 1 atm pressure has

$$E_{\text{int}} = \frac{3}{2} PV \approx 1.5 \times 10^5 \text{ J energy}$$

from random molecular motion

A 1000 kg rock held 15 m above

the ground has

$$mgh \approx 1.5 \times 10^5 \text{ J potential energy.}$$

* Example:

Burger = 500 Cal = 500 kcal = 500×10^3 cal

1 cal = 4.19 J

||
about 2×10^6 J (huge amount of energy)

energy needed to raise 1 gram of water by 1 Celsius degree

CONSERVATION OF ENERGY



Work done by piston



Work done by piston: $W = \int F dx$
 $dW = F dx = \frac{F}{A} A dx = \frac{P}{A} A dx = P dV$

ΔV small $\Rightarrow \Delta W = P \Delta V$

* Remember:

$\frac{3}{2} nRT = E_{int} \Rightarrow \frac{3}{2} nR \Delta T = \Delta E_{int} = Q - W$

R = gas constant

n = # of moles (no tricks)

How to give it

- Heat added is +
- Heat lost is -
- Work on system -
- Work by system is +

Q means heat added to gas
 (heat)
 a quantity of energy transferred because a temperature difference.
 (work done by the gas on the outside world)

FIRST LAW OF THERMODYNAMICS

Heating up stuff:

$$[Q] = [\text{energy}] = [J] = [\text{cal}] \cdot [\text{Btu}]$$

$$\left[\frac{\Delta Q}{\Delta t}\right] = [\text{power}] = [W] = [\text{cal/s}] = \dots$$

19-3

$$Q = mc\Delta T$$

↑
(c = specific heat)

the more mass
the more energy it
takes to heat it up

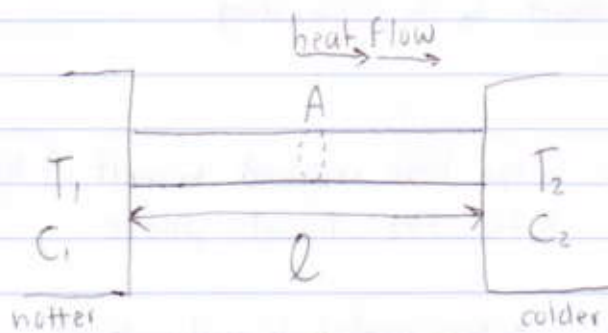
specific ^{heat} of H₂O
is $\frac{1 \text{ cal}}{1 \text{ gram } 1^\circ\text{C}}$

• page 499

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HEAT TRANSFER: CONDUCTION
CONVECTION &
RADIATION

* CONDUCTION:



HEAT CONDUCTION

$$\frac{\Delta Q}{\Delta t} = kA \frac{T_1 - T_2}{l}$$

k = constant depends on material

Rate is given by this formula

k = Thermal Conductivity

$$\Delta Q_1 = m_1 c_1 \Delta T_1$$

$$\Delta Q_2 = m_2 c_2 \Delta T_2$$

$$m_1 c_1 \frac{\Delta T_1}{\Delta t} = \frac{\Delta Q_1}{\Delta t} = - \frac{\Delta Q}{\Delta t} = kA \frac{T_2 - T_1}{l}$$

$$\frac{\Delta T_1}{\Delta t} = \frac{kA}{m_1 c_1} \cdot \frac{T_2 - T_1}{l}$$

$$\frac{\Delta T_2}{\Delta t} = \frac{kA}{m_2 c_2} \frac{T_1 - T_2}{l}$$

* RADIATION:

(* page 517)
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$$\frac{\Delta Q}{\Delta t} = \epsilon \sigma AT^4$$

emissivity T in kelvins
Stefan-Boltzmann



~ Rate of energy being transferred
from the object to its surrounding

- The Heat of Fusion = is the heat required to melt 1 kg of a solid into the liquid phase.

energy needed to melt material
mass of material

- The Heat of Vaporization: $\frac{\text{energy needed to evaporate liquid}}{\text{mass of liquid}}$.

PRACTICE

EX 1 (Heat of fusion)

1 kg of lead 0.031

$$25 = \frac{\text{J}}{1 \text{ kg}}$$

$$25 = \text{J}$$

$$2.5 \times 10^4 \text{ J} = 25 \text{ kJ to melt 1 kg of Pb (lead)}$$

EX 2

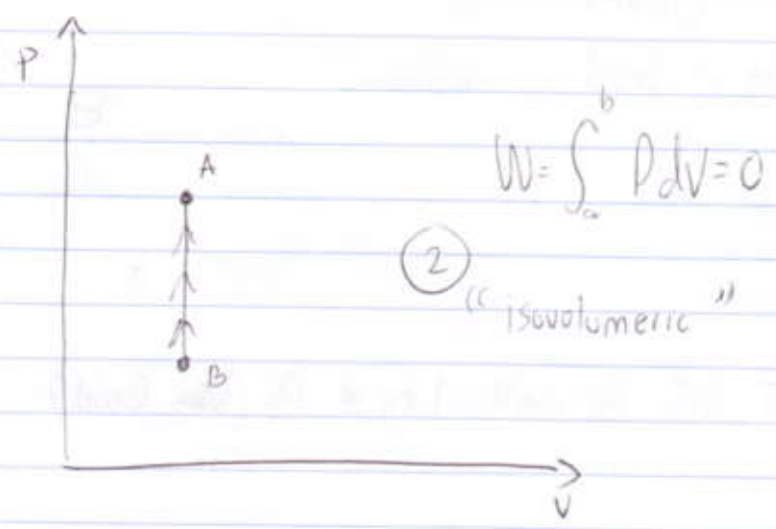
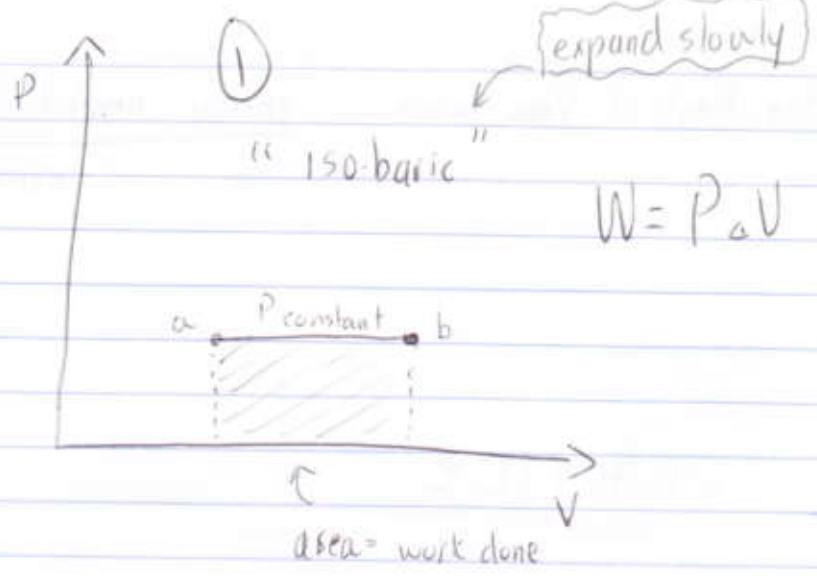
$$2.26 \times 10^6 \text{ J} = 2.26 \text{ MJ to evaporate 1 kg of water.}$$

EX 3

$$3.33 \times 10^5 \text{ J} = 333 \text{ kJ to melt 1 kg of ice}$$

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* For more pressure you need to heat it up

isobaric
 $\Delta E_{int} = Q - W = Q - P\Delta V$

$$Q = n C_p \Delta T$$

Pressure Constant
 → number of moles
 → molar specific heat for constant pressure

isovolumetric
 $\Delta E_{int} = Q - W = Q$

$$Q = n C_v \Delta T$$

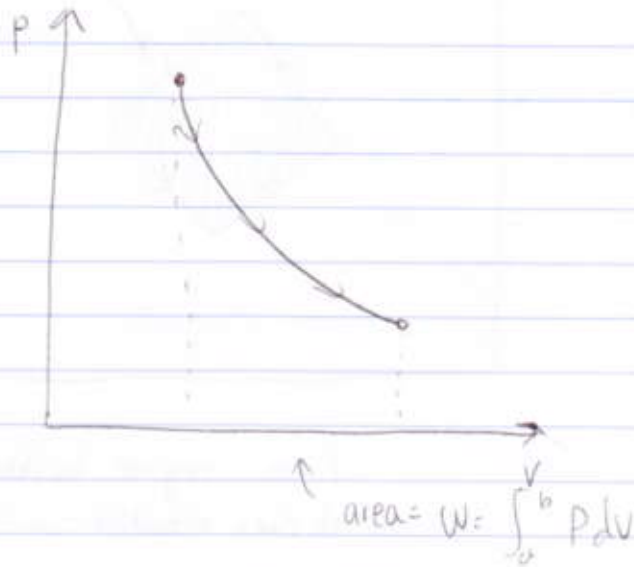
Volume Constant

* page 511

3) "isothermal"

$T = \text{constant}$
 $PV = nRT$

(*page 509)



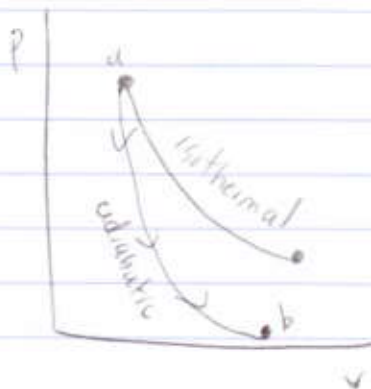
ideal Gas $\Delta E_{int} = \frac{3}{2} nR\Delta T$

$= 0 = \Delta E_{int} = Q - W \Rightarrow Q = W$ ← (*page 510)
 nice chart look it up

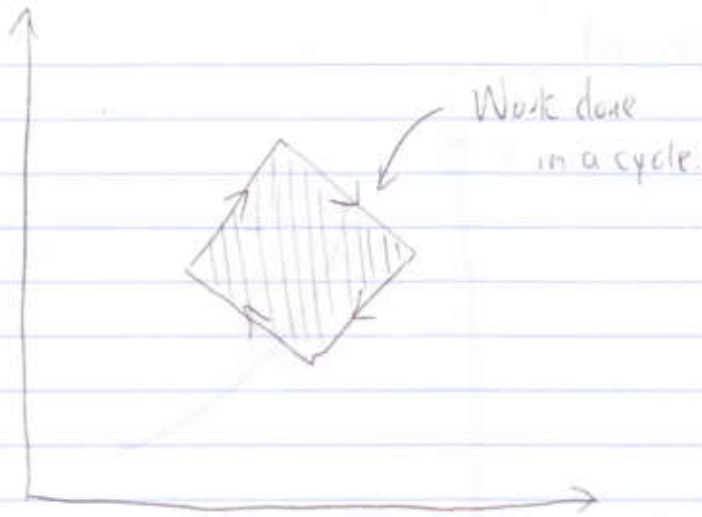
4) "adiabatic" ← expand quickly.

$Q = 0$

$\Delta E_{int} = -W = - \int_a^b P dV$



PHYSICS CH 19

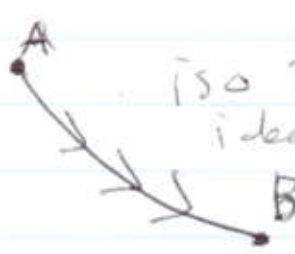


if run engine backwards
it does negative work.

Added by prof:

More formulas:

iso thermal $\Rightarrow W = nRT \ln\left(\frac{V_B}{V_A}\right)$
ideal gas



because $\int_A^B P dV = \int_A^B nRT \frac{dV}{V}$

Adiabatic $\Rightarrow PV^\gamma = \text{constant}$
ideal gas

where $\gamma = \frac{C_p}{C_v}$

See Example 19-12 for more!

$$C_p - C_v = R \quad (= \text{gas constant})$$

(monoatomic) ideal gas: $C_v = \frac{3}{2} R$
