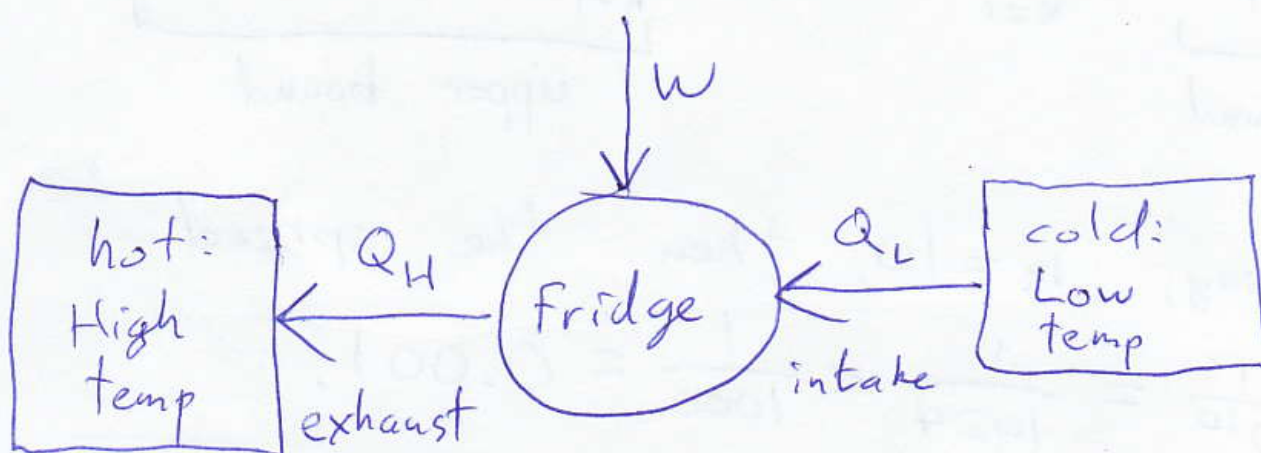


$$Q_H = W + Q_L$$



$$\frac{Q_{\text{exhaust}}}{Q_{\text{intake}}} \geq \frac{T_{\text{exhaust}}}{T_{\text{intake}}} \quad (\text{2nd Law})$$

equivalently: $\frac{Q_{\text{exhaust}}}{T_{\text{exhaust}}} \geq \frac{Q_{\text{intake}}}{T_{\text{intake}}}$

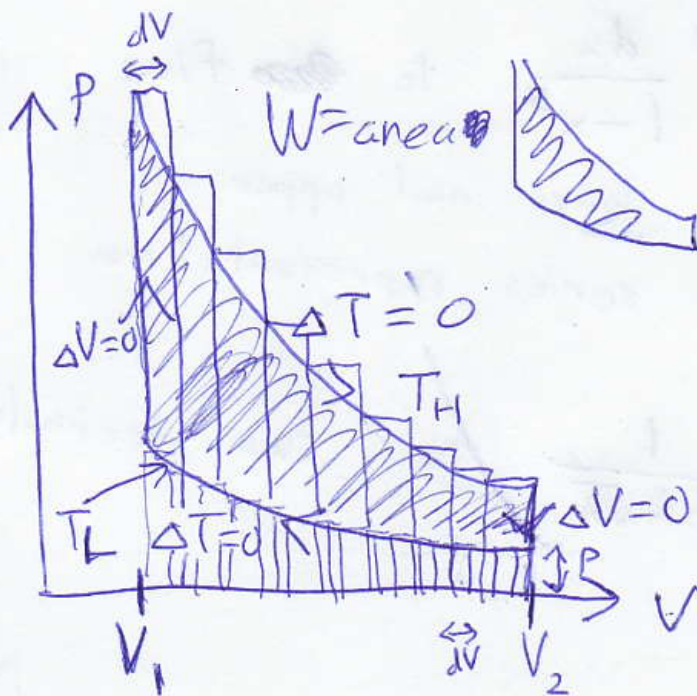
$$\underbrace{\Delta S}_{\text{entropy}}_{\text{universe}} = \frac{Q_{\text{exhaust}}}{T_{\text{exhaust}}} - \frac{Q_{\text{intake}}}{T_{\text{intake}}} \geq 0$$

heat engine: $\Delta S = \frac{Q_L}{T_L} - \frac{Q_H}{T_H} \geq 0$

refridgerator: $\Delta S = \frac{Q_H}{T_H} - \frac{Q_L}{T_L} \geq 0$

Carnot: $\Delta S = 0$; reversible

In practice, we can't reverse our heat engines or refridgerators.



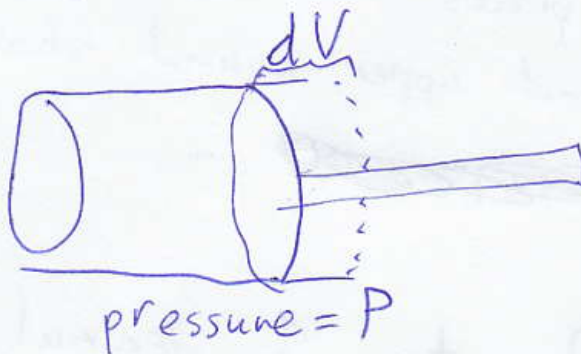
$$Pa = \frac{N}{m^2} = \frac{kg \cdot m/s^2}{m^2}$$

$$Pa \cdot m^3 = \frac{N}{m^2} \cdot m^3 = N \cdot m$$

$$N \cdot m = kg(m/s^2)m$$

$$N \cdot m = kg \cdot m^2/s^2 = J$$

$$dW = P dV$$



HW: Assuming an ideal ~~monoatomic~~ monoatomic

gas, find a formula for work

W done per cycle by the Stirling

engine above, using T_L, T_H, V_1, V_2 .

Then get a formula for its efficiency.

Final = 8AM, May 12